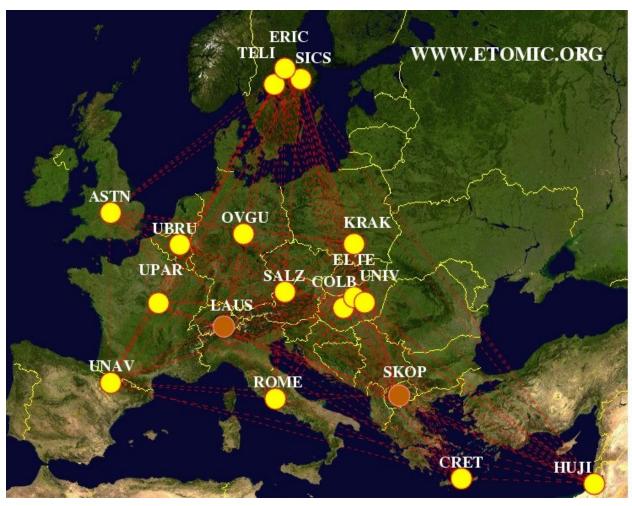


Large Scale Network Tomography in Practice: Queuing Delay Distribution Inference in the ETOMIC Testbed

P. Mátray, G. Simon, J. Stéger, I. Csabai, G. Vattay



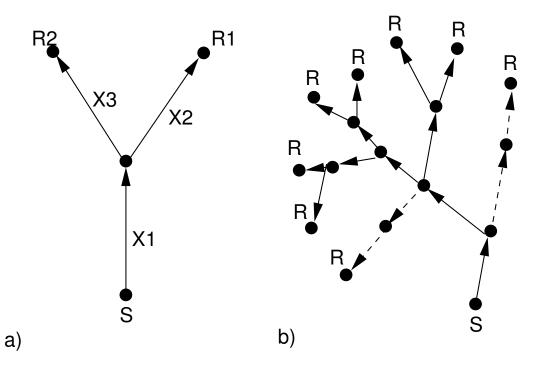
etomic stations





Network Tomography

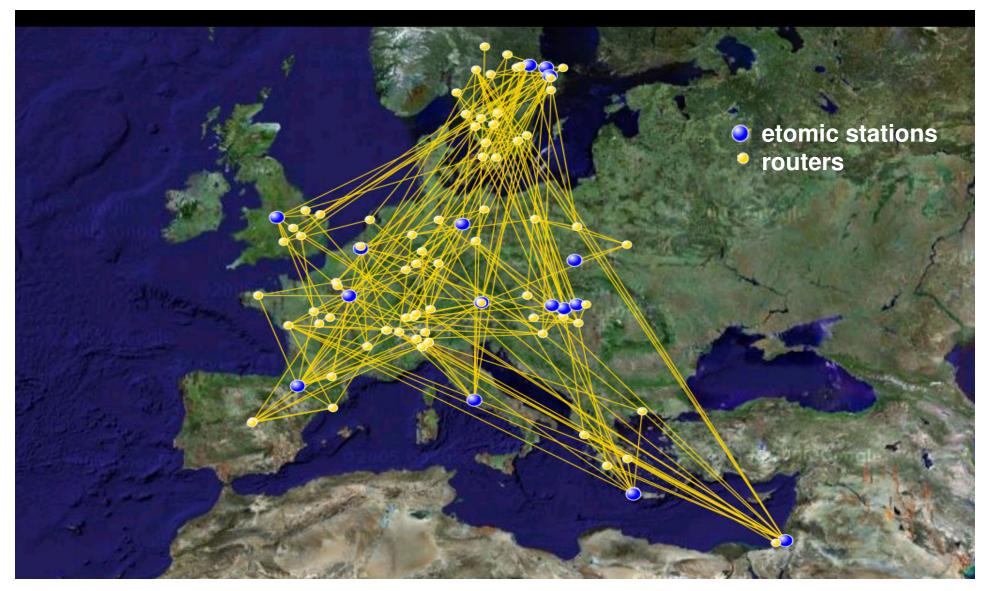
Getting delay statistics from the interior of the network, where we don't have monitoring stations



Shoot back-to-back packet pairs ... and measure their delay at arrival with very high precision



Topology of routers





Delay estimation for the Y-topology

Definitions:

- N number of successful pairs, where none of the probes is lost.
- $Y_1(k)$ and $Y_2(k)$, the end-to-end delay experienced by the probes of the k-th pair

$$Y_1(k) = X_1(k) + X_2(k)$$

$$Y_2(k) = X_1(k) + X_3(k)$$

$$k \in \{1..N\}$$

- Goal: Estimate the distribution of $X_1(k)$, $X_2(k)$ and $X_3(k)$ from the end-to-end delays.
- Quantization of the delay into B bins of uniform size q $X_i^d(k)=jq$ if $(j-1)q < X_i(k) \leq jq$, $i \in \{1,2,3\}$ $j \in \{1,2,...B\}$



$$P_{i,j} = \frac{n_{i,j}}{\sum_{j=1}^{B} n_{i,j}}$$

$$Y_1^d(k) = X_1^d(k) + X_2^d(k)$$

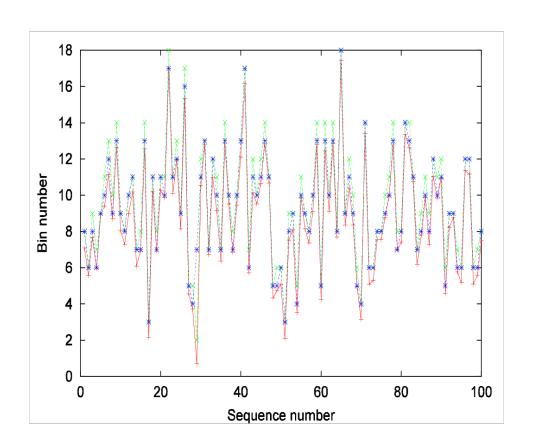
$$Y_2^d(k) = X_1^d(k) + X_3^d(k)$$

$$P(Y_1^d = lq, Y_2^d = mq) \equiv$$

$$P(l, m) = \sum_{s \in H} P_{1,s} P_{2,(l-s)} P_{3,(m-s)}$$

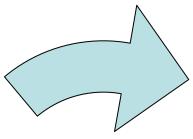
$$H = \{ B \ge s \ge 1 \} \cap \{ B \ge (l-s) \ge 1 \} \cap \{ B \ge (m-s) \ge 1 \}$$

$$L = \prod_{n=1}^{N} P(Y_1^d(n), Y_2^d(n))$$

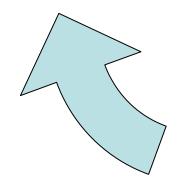




EM-algorithm



$$P_{i,j} = \frac{n_{i,j}}{\sum_{j=1}^{B} n_{i,j}}$$



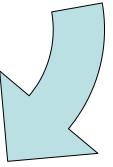
$$n_{i,j} = \sum_{k=1}^{N} P(X_i^d(k) = jq \mid Y_1^d(k), Y_2^d(m))$$

$$P(X_1^d = jq \mid lq, mq) = \frac{P_{1,j}P_{2,(l-j)}P_{3,(m-j)}}{P(l,m)}$$

$$P(X_2^d = jq \mid lq, mq) = \frac{P_{1,(l-j)}P_{2,j}P_{3,(m-l+j)}}{P(l,m)}$$

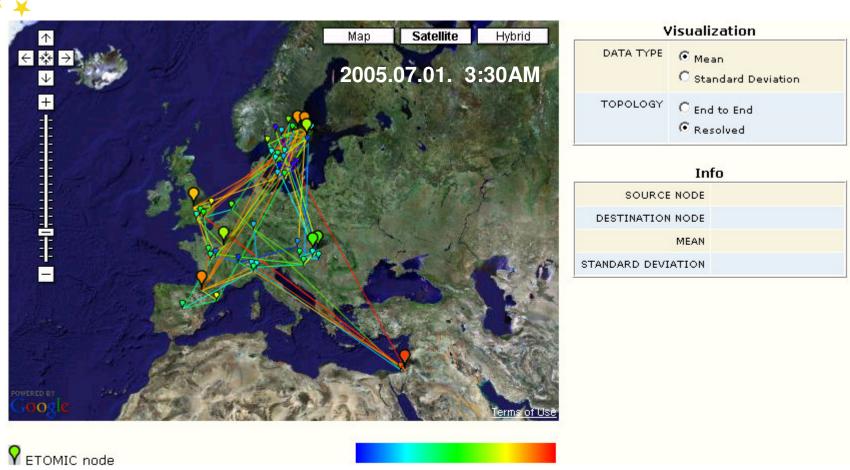
$$P(X_2^d = jq \mid lq, mq) = \frac{P_{1,(l-j)}P_{2,j}P_{3,(m-l+j)}}{P(l,m)}$$

$$P(X_3^d = jq \mid lq, mq) = \frac{P_{1,(m-j)}P_{2,(l-m+j)}P_{3,j}}{P(l,m)}$$



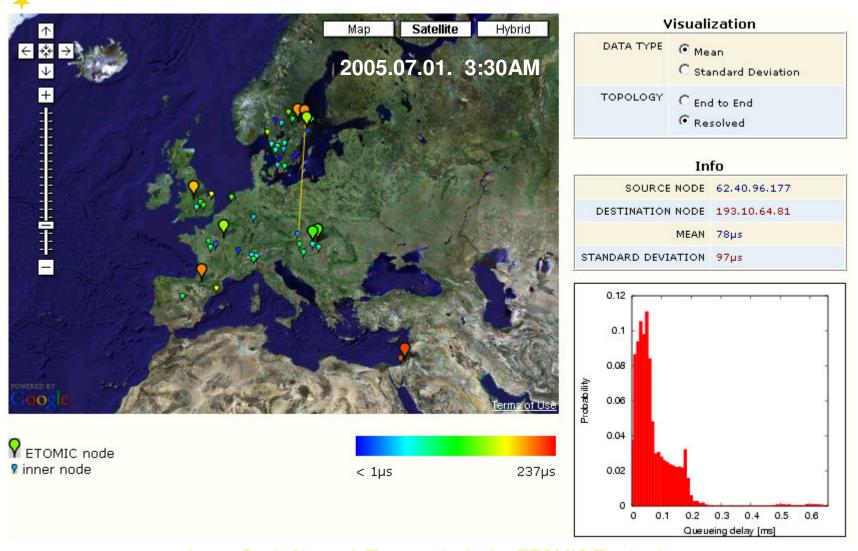


Visualization





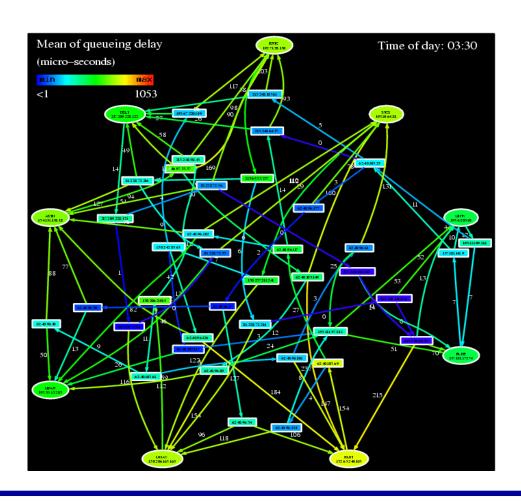
Visualization



Large Scale Network Tomoraphy in the ETOMIC Testbed



Daily change of mean queuing delays



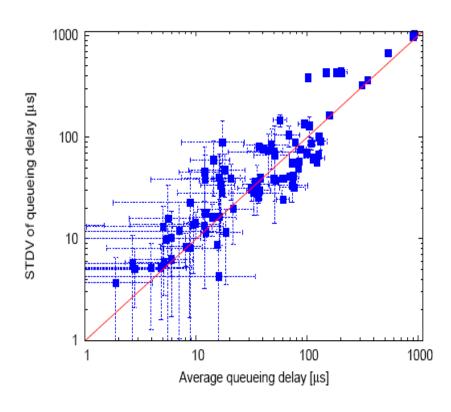


Main results

Log-normal distribution of the delay

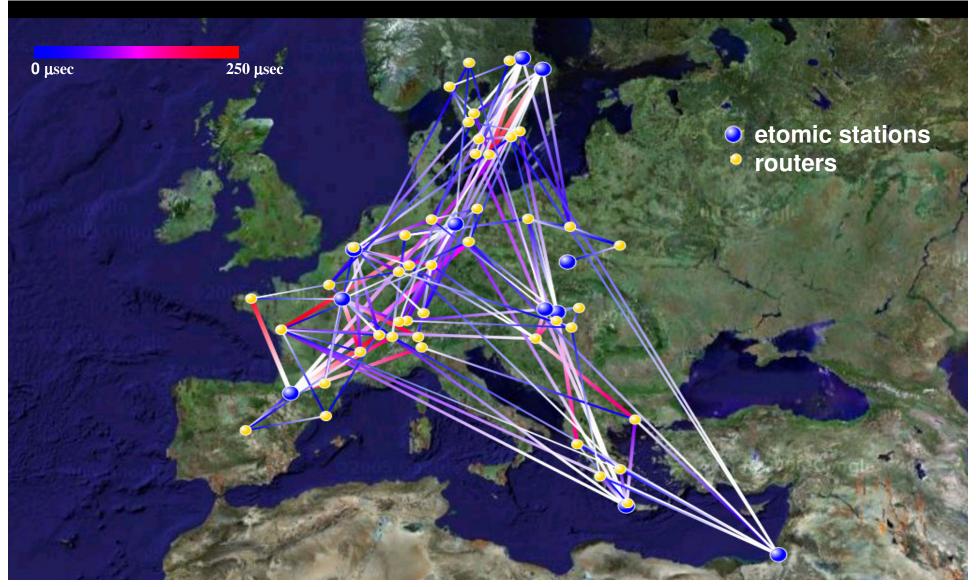
0.8 0.6 0.7 0.8 0.8 0.9 0.9 0.1 1 10 100 1000 Average queueing delay [µs]

Variance and delay are proportional



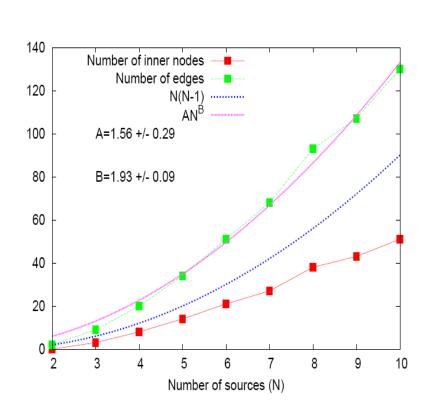


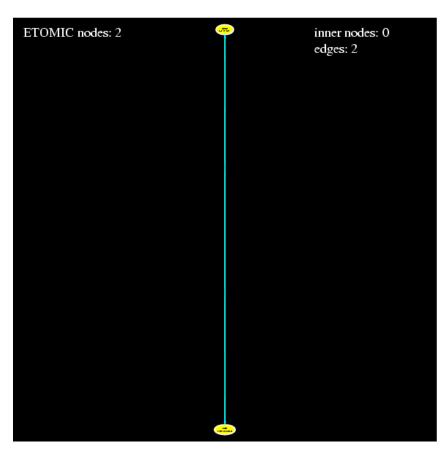
Snapshot of queuing delays in Europe





Growing number of monitored links









Thanks!



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